

Closed book. 15 minutes

Definitions follow quiz questions.

1. This schema is in 1NF. Normalize to 2NF.

R (A, B, C, D) primary key: B C

fds: B C \rightarrow A D
C \rightarrow D

2. This schema is in 2NF. Normalize to 3NF.

R (A, B, C, D, E) primary key: A B

fds: A B \rightarrow C D E
C \rightarrow D
D \rightarrow E

3. Consider the definition of transitive dependency.

In this schema, is $B \rightarrow D$ a transitive dependency? Why or why not?

R (A, B, C, D) primary key: A
candidate keys: A
B

fds: A \rightarrow B C D
B \rightarrow A C D
B \rightarrow D

Database Principles Definitions regarding Normalization

functionally dependent (\rightarrow , *fd*)

A and B are non-empty sets of attributes in relation R.

$A \rightarrow B$ iff each value of A has associated with it exactly one value of B.

fully functionally dependent (*ffd*)

A and B are non-empty sets of attributes in R.

B is fully functionally dependent on A if $A \rightarrow B$, but B is not functionally dependent on any proper subset of A

transitively dependent

A, B and C are non-empty attributes of R such that $A \rightarrow B$ and $B \rightarrow C$ then C is transitively dependent on A via B (provided A is not functionally dependent on B or C)

2NF – simple definition

A relation is in 2NF when it is in 1NF and every non-primary key attribute is fully functionally dependent on the primary key

2NF – general definition

A relation is in 2NF when it is in 1NF, and every non-candidate key attribute is ffd on any candidate key.

3NF – simple definition

A relation is 3NF when it is in 2NF and no non-primary key attribute is transitively dependent on the primary key.

3NF – general definition

A relation is in 3NF when it is in 2NF and no non-candidate key attribute is transitively dependent on any candidate key.

BCNF

A relation R is in BCNF if whenever a non-trivial $X \rightarrow A$ exists, then X is a superkey.

BCNF – alternate definition

A relation R is in BCNF if and only every determinant is a candidate key.

Decomposition of relation R is a set $\{R_1, R_2, \dots, R_n\}$ such that each R_i is a subset of R, and union over all R_i equals R. (i.e., same as “attribute preserving decomposition”)